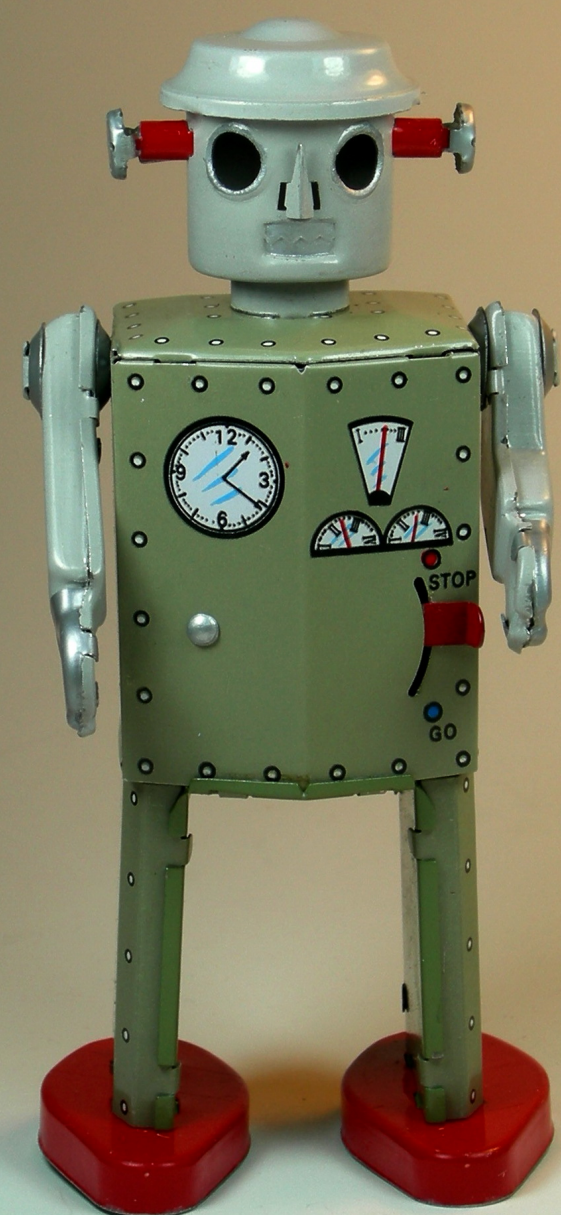
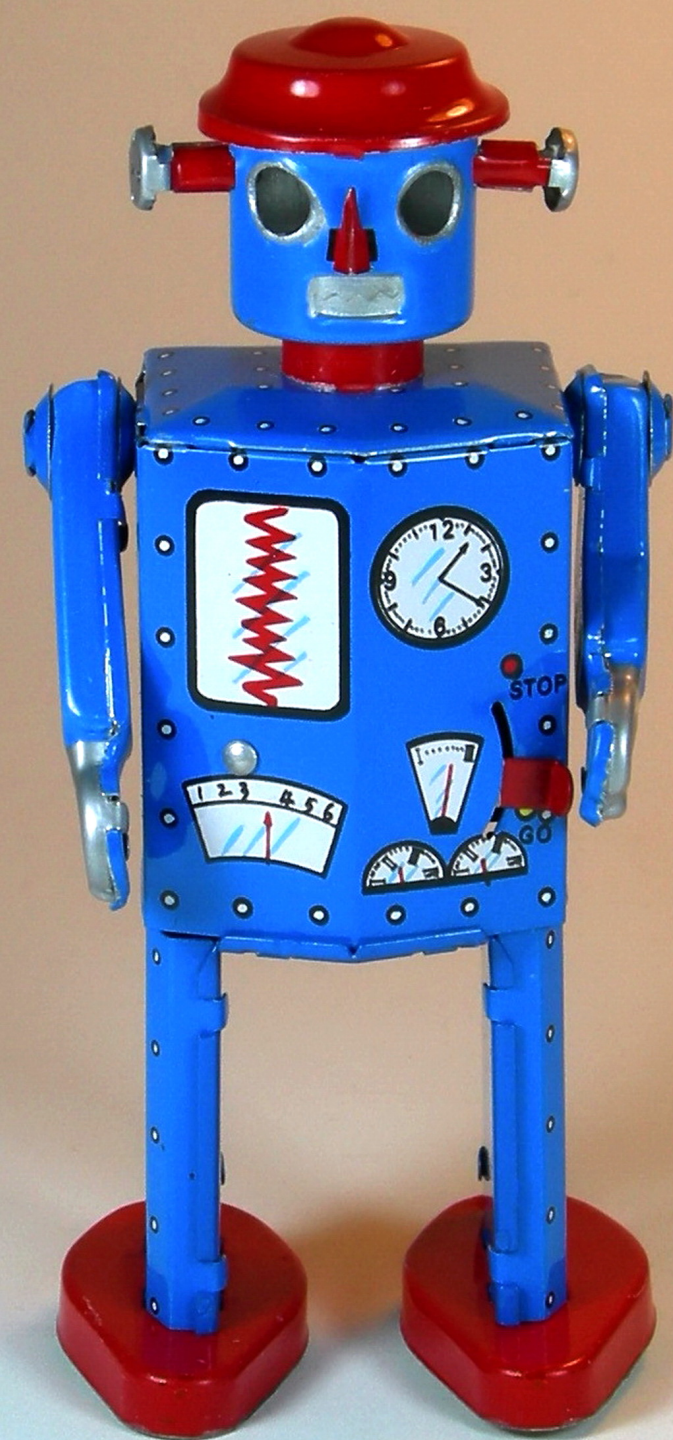


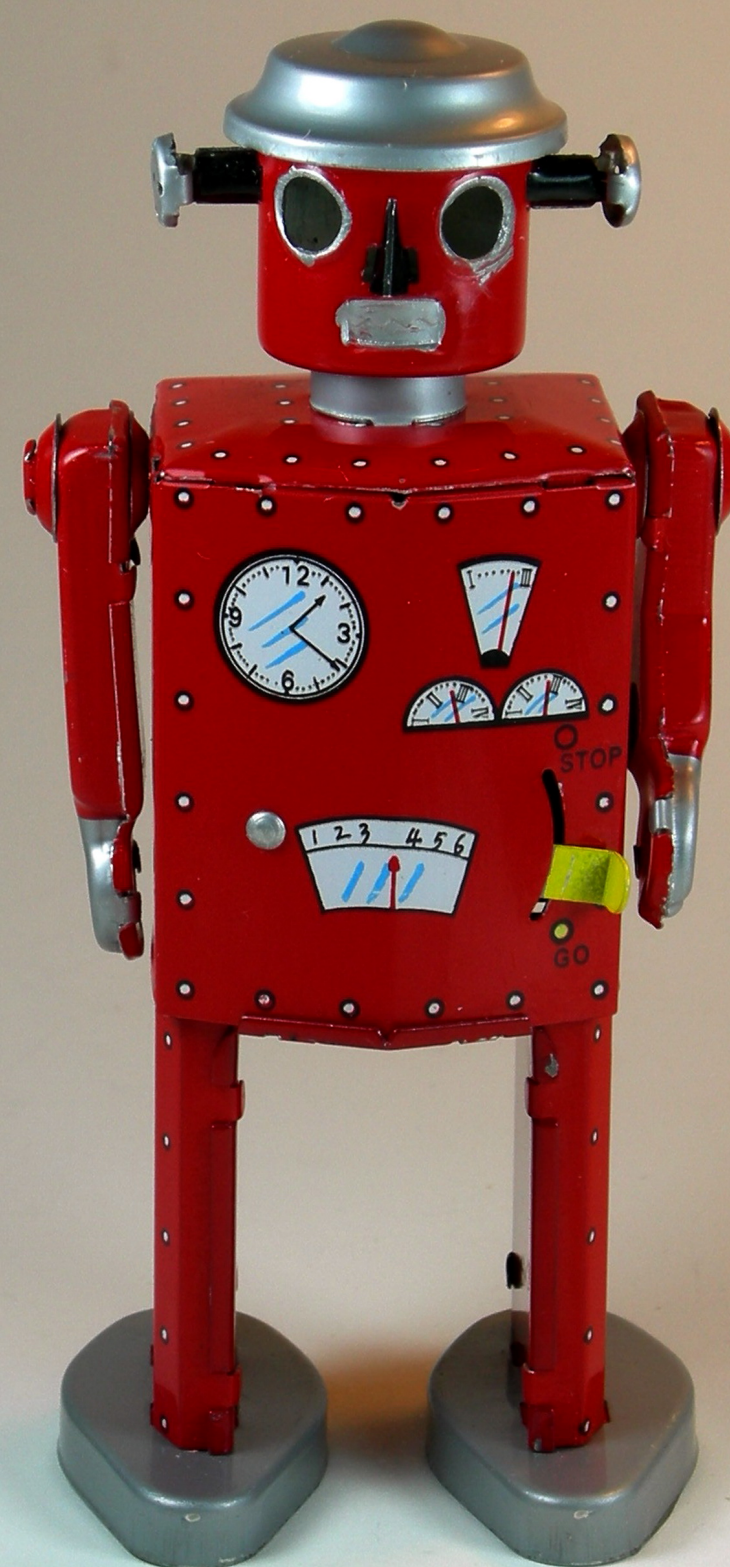
"Schylling – Replica Atomic Robot Man – Original Color Version – Front"  
by D J Shin is licensed under CC BY-SA 3.0



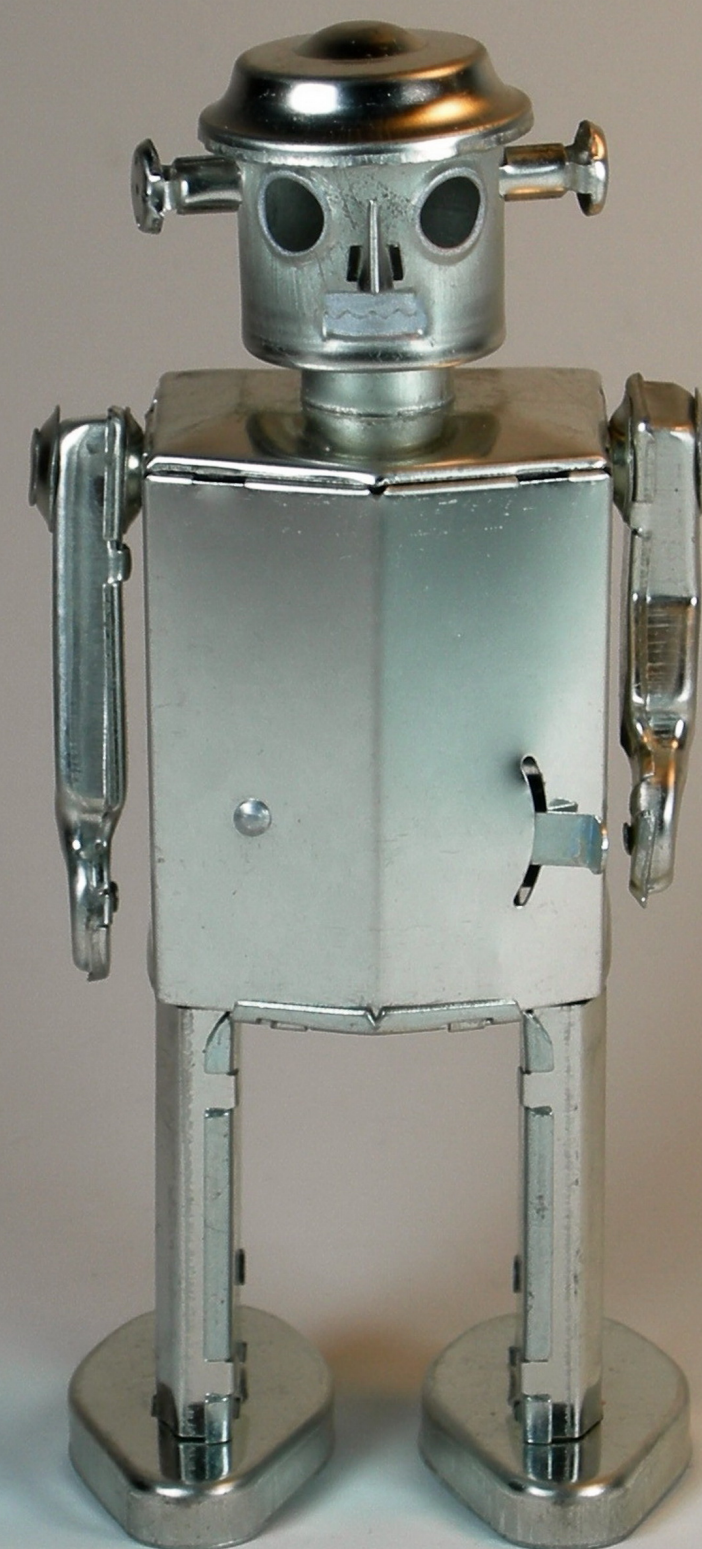
"Schylling – Replica Atomic Robot Man – Blue Color Version – Front"  
by D J Shin is licensed under CC BY-SA 3.0



"Schylling – Replica Atomic Robot Man – Red Color Version – Front"  
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"Schylling – Replica Atomic Robot Man – Chrome Version – Front"  
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ARPAN GUJARATI (MPI-SWS, GERMANY)

SATHISH GOPALAKRISHNAN, KARTHIK PATTABIRAMAN (UBC, CANADA)

# N-VERSION PROGRAMMING FOR ML COMPONENTS



# WHAT IS N-VERSION PROGRAMMING (NVP)?

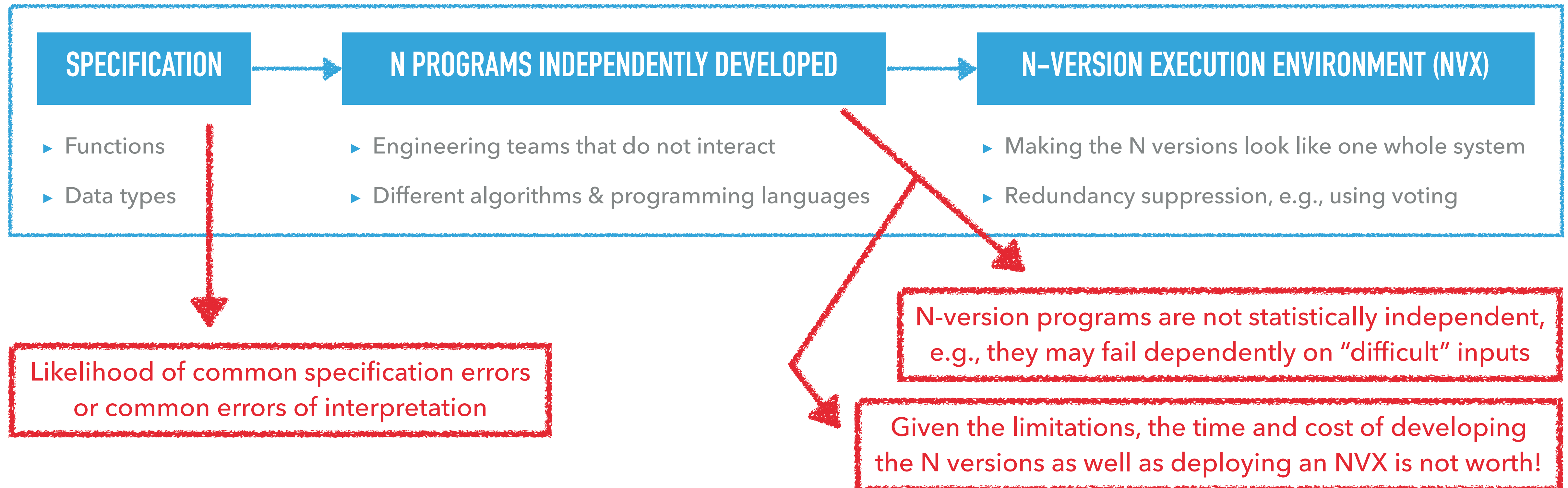
- ▶ Software engineering principle to improve the reliability of software operations by building in **fault tolerance through redundancy**



# WHAT IS N-VERSION PROGRAMMING (NVP)?

**Beautiful but fallacious theory!**

- ▶ Software engineering principle to improve the reliability of software operations by building in **fault tolerance through redundancy**



**Observation**

**NVP FOR PROGRAMMED COMPONENTS**

**$\neq$**

**NVP FOR ML COMPONENTS**



## Observation

# NVP FOR PROGRAMMED COMPONENTS

≠

# NVP FOR ML COMPONENTS



- ▶ Unlike programmed components, *ML components are trained*
  - ▶ i.e., using supervised, unsupervised, or reinforcement learning
- ▶ Generating diverse ML components doesn't require extra programming effort, but only extra computations
  - ▶ ML frameworks such as PyTorch, TensorFlow, and TVM can generate ML models with different execution plans
  - ▶ DNNs can be trained with different network structures (e.g., image recognition using ResNet50 and ResNet101)
  - ▶ Ensemble techniques can be used to train models with distinct random choices



## NEW OPPORTUNITIES

- ▶ Generate and execute **hundreds of diverse replicas** inside an NVX
- ▶ **Improve the baseline reliability** of ML components, which is relatively low
  - ▶ For example, reliability of programmed components is typically measured in “nines”
  - ▶ In contrast, an inference accuracy of 75% – 90% is common among DNNs

Need to investigate the problem and the benefits of **NVP for ML components** with a **fresh perspective!**



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Need to investigate the problem and the benefits of **NVP for ML components** with a **fresh perspective!**

### THIS WORK

- ▶ **Mathematical modeling** to illustrate the benefits of NVP for ML components



# KEY CONTRIBUTIONS



## KEY CONTRIBUTIONS

- ▶ **Reliability modeling** in the presence of **permanent faults**, capturing
  - ▶ ML components with baseline reliability *under 100%*
  - ▶ NVX with *hundreds* of versions or ML component replicas
  - ▶ *Parameterized diversity* percentage among each pair of replicas
  - ▶ *Sequential* and *concurrent* execution semantics
  - ▶ Redundancy suppression using *voting quorums* of different sizes

# KEY CONTRIBUTIONS

NVP with tens to hundreds of replicas can significantly improve the baseline reliability of ML components

## ► Reliability modeling in the presence of permanent faults, capturing

- ML components with baseline reliability under 100%
- NVX with hundreds of versions or ML component replicas
- Parameterized diversity percentage among each pair of replicas
- Sequential and concurrent execution semantics
- Redundancy suppression using voting quorums of different sizes

Reliability gains are sensitive to the NVX design and the diversity percentage

## ► Numerical evaluation using MNIST digit classification and TIMIT speech recognition tasks



# RELIABILITY MODELING

# 1. APPROXIMATION USING EXPONENTIAL FUNCTIONS

- ▶ Baseline reliability of an ML component in the presence of  $x$  permanent faults:

$$R(x) = \alpha e^{-\beta x} \quad (\alpha < 1)$$



# 1. APPROXIMATION USING EXPONENTIAL FUNCTIONS

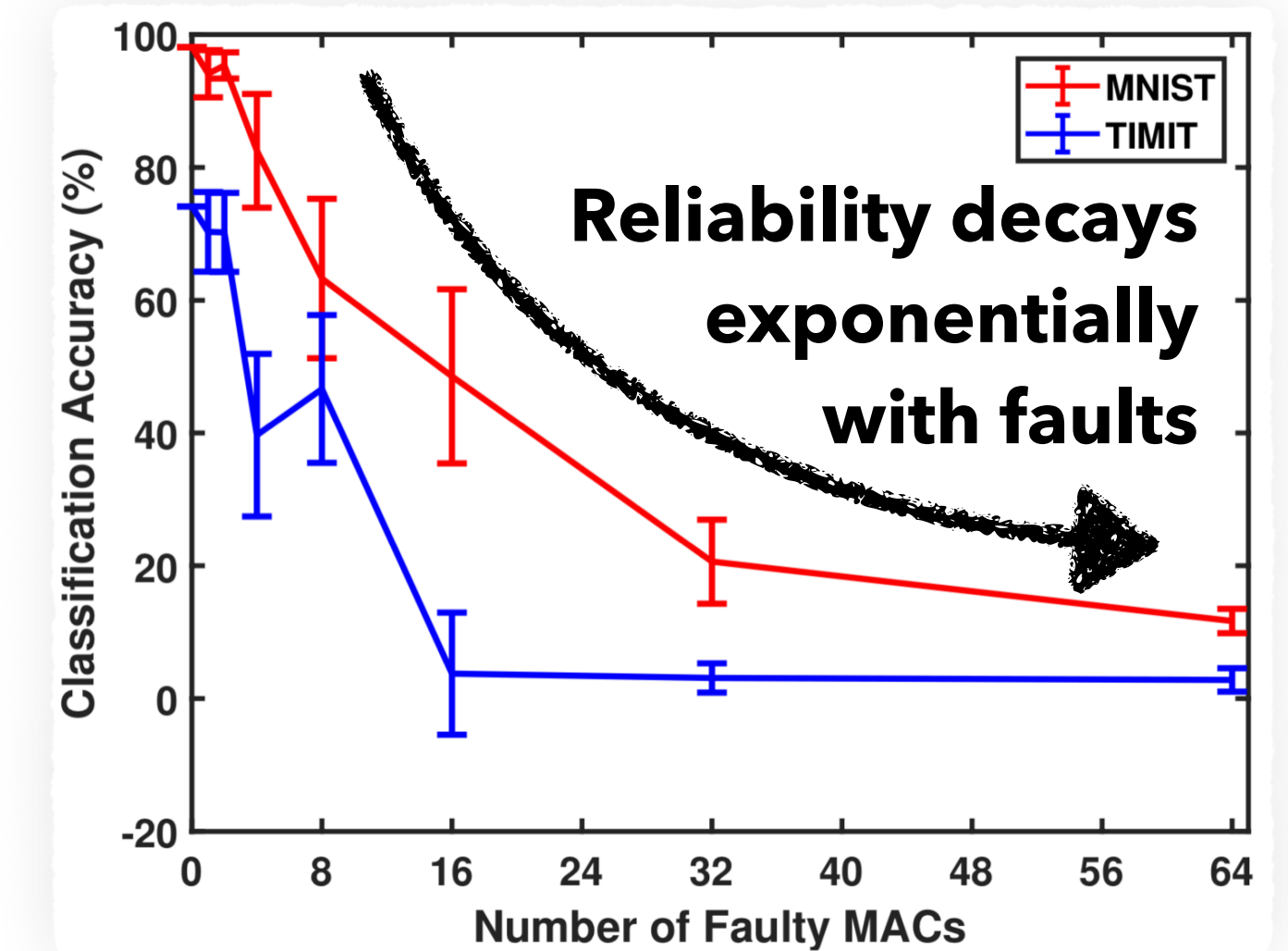
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Fault-free reliability  $R(0)$  less than 100%

Zhang JJ, Basu K, Garg S. Fault-tolerant systolic array based accelerators for deep neural network execution. IEEE Design & Test. 2019 May 8;36(5):44-53.



## 2. IDENTITY & DIVERSITY SUBCOMPONENTS

- ▶ In practice, without any replication, i.e., with  $N = 1$



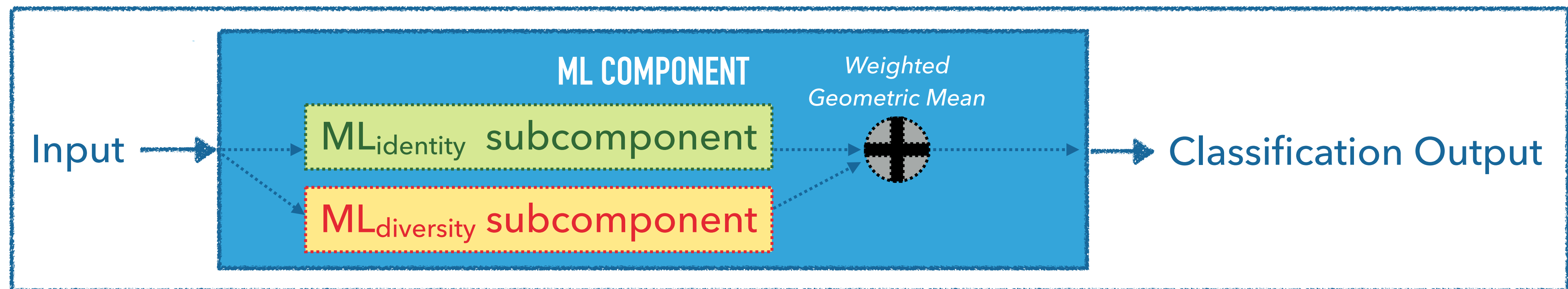


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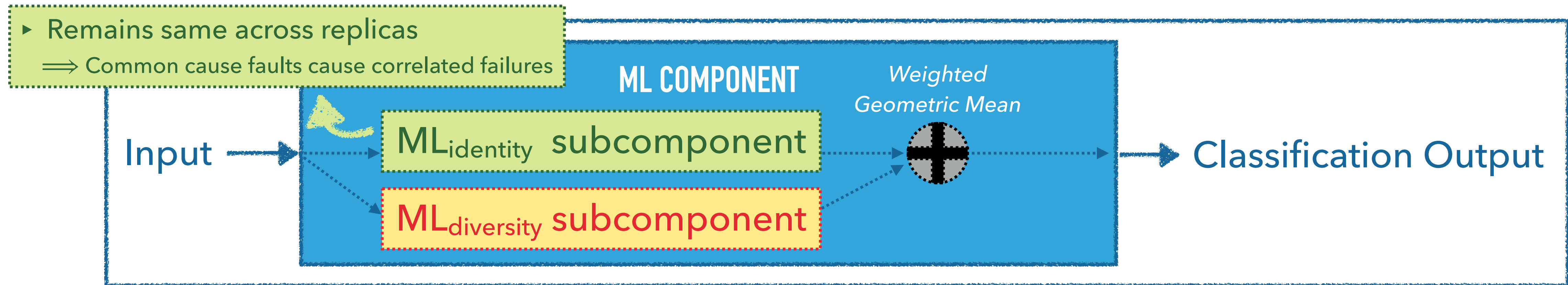


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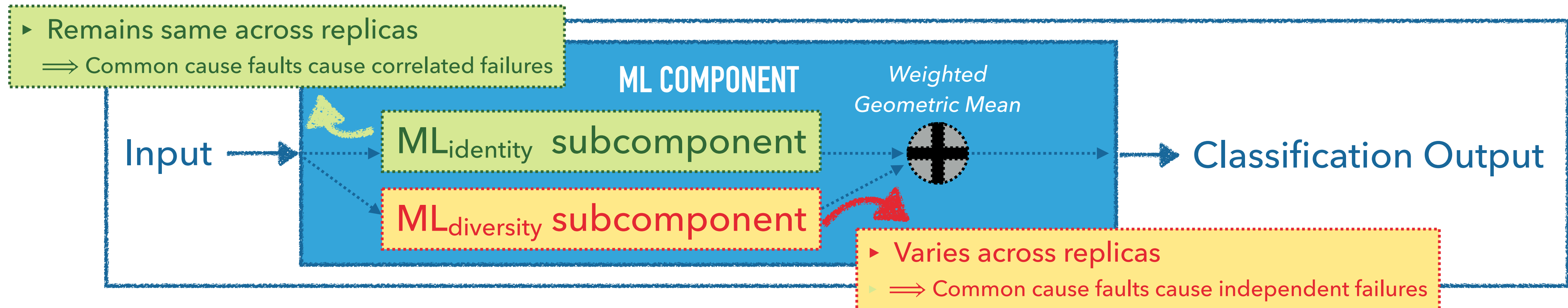


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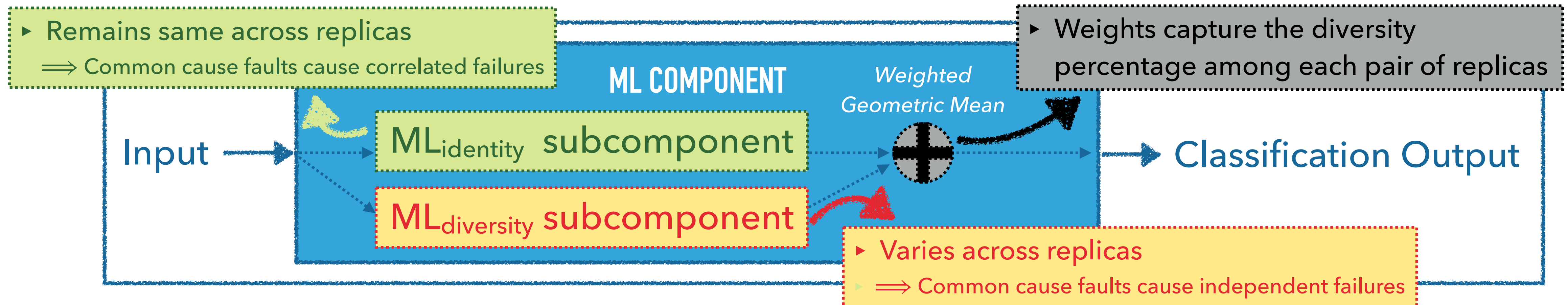


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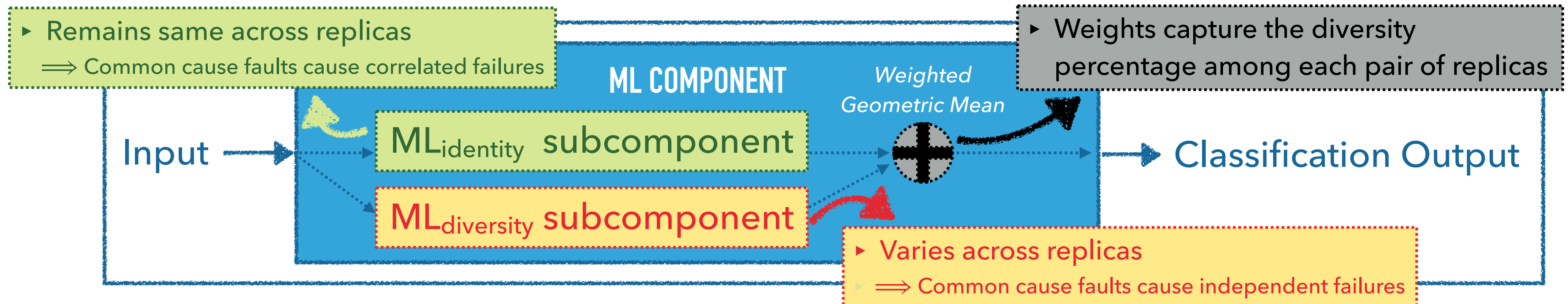
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*In short, parameterized & quantifiable diversity!*

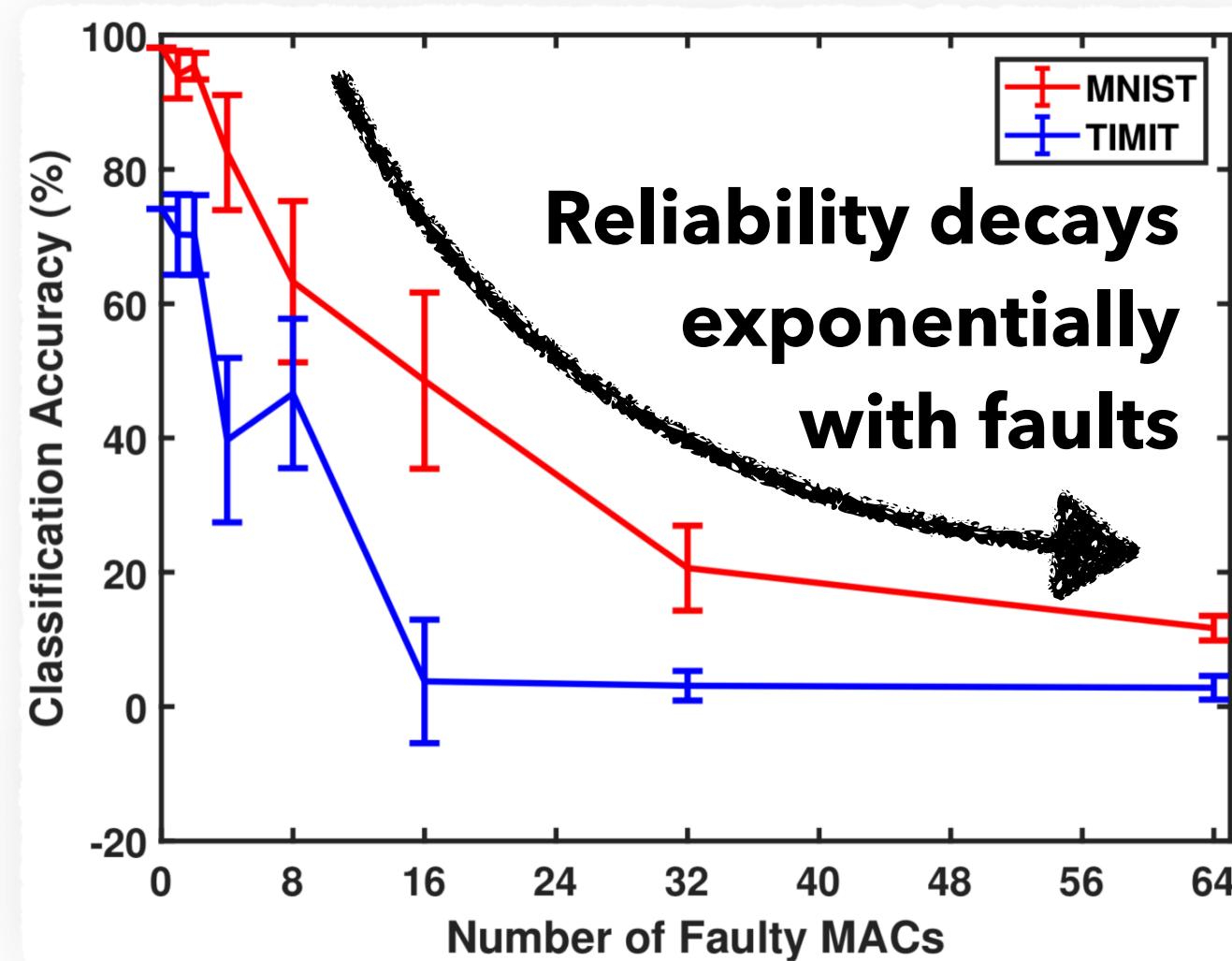
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**EVALUATION**



# EXPERIMENT METHODOLOGY



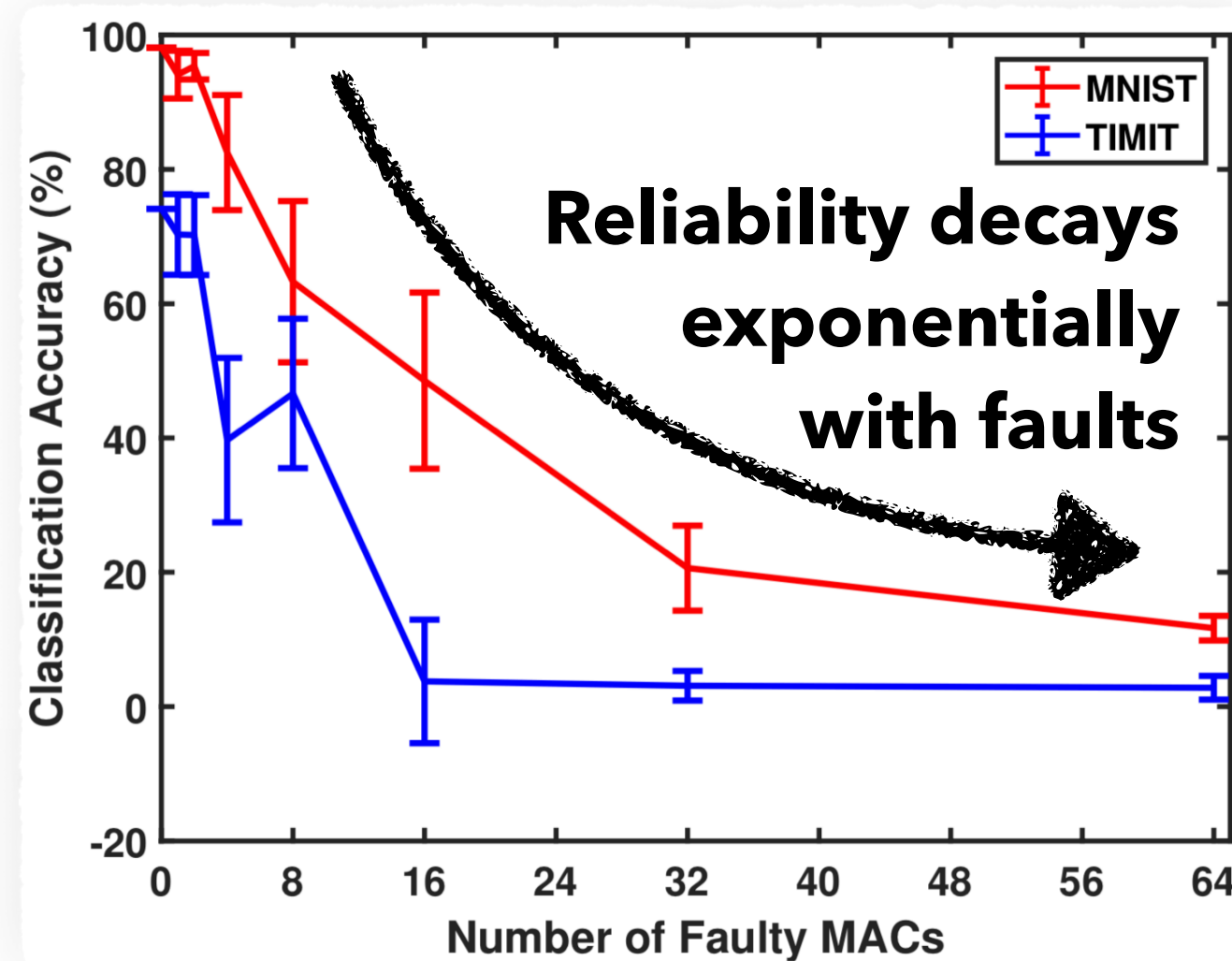
$$R(x) = ae^{-\beta x}$$

Baseline ML component reliability in the presence of  $x$  faults

Curve fitting  
using non-linear  
least squares

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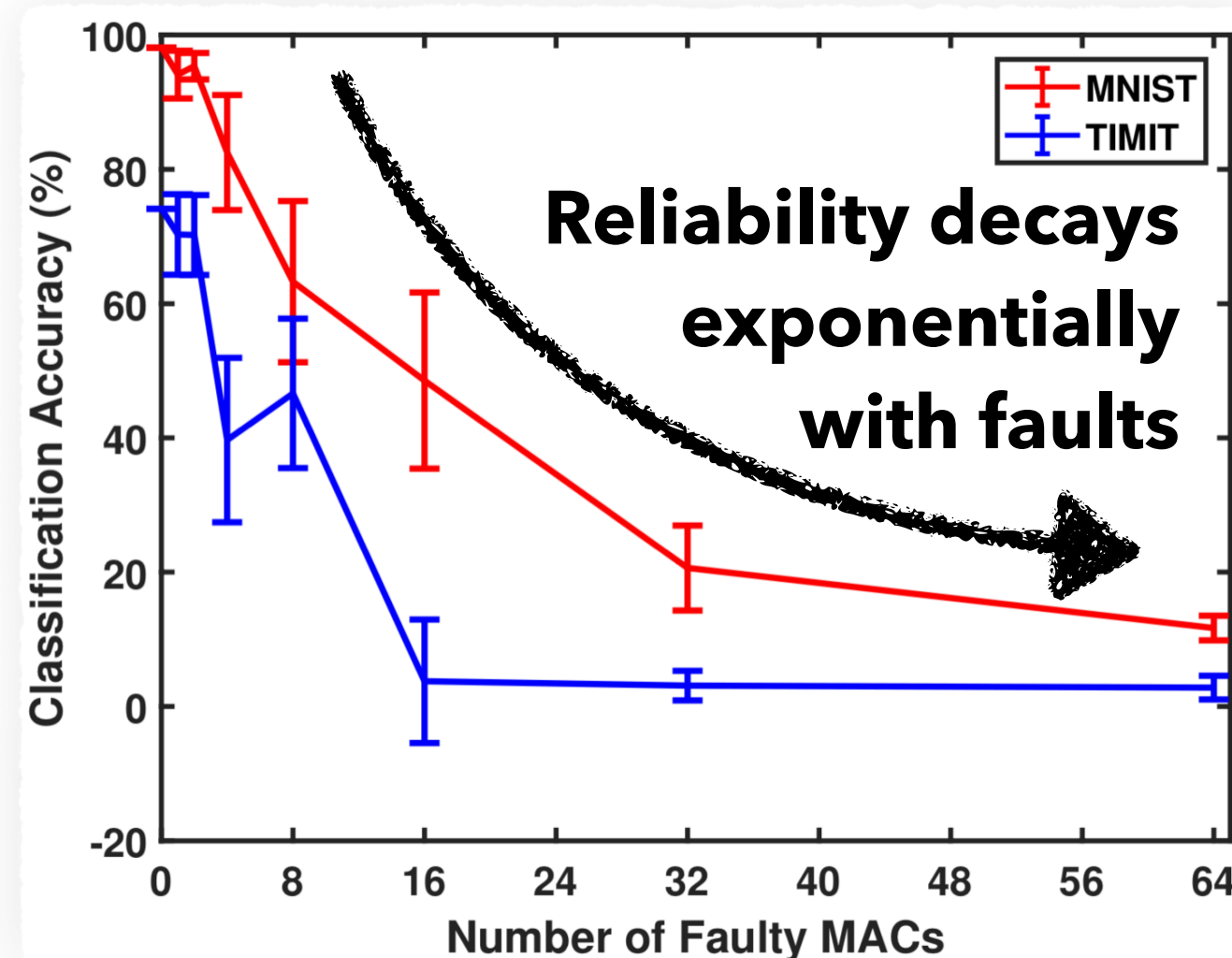
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Baseline ML component reliability in the presence of  $x$  faults

Denoting the baseline reliability of each subcomponent using  $R(x)$

$$\forall n \in \{1, 2, \dots, N\} : R_{n, identity}(x) = R_{n, diversity}(x) = R(x)$$

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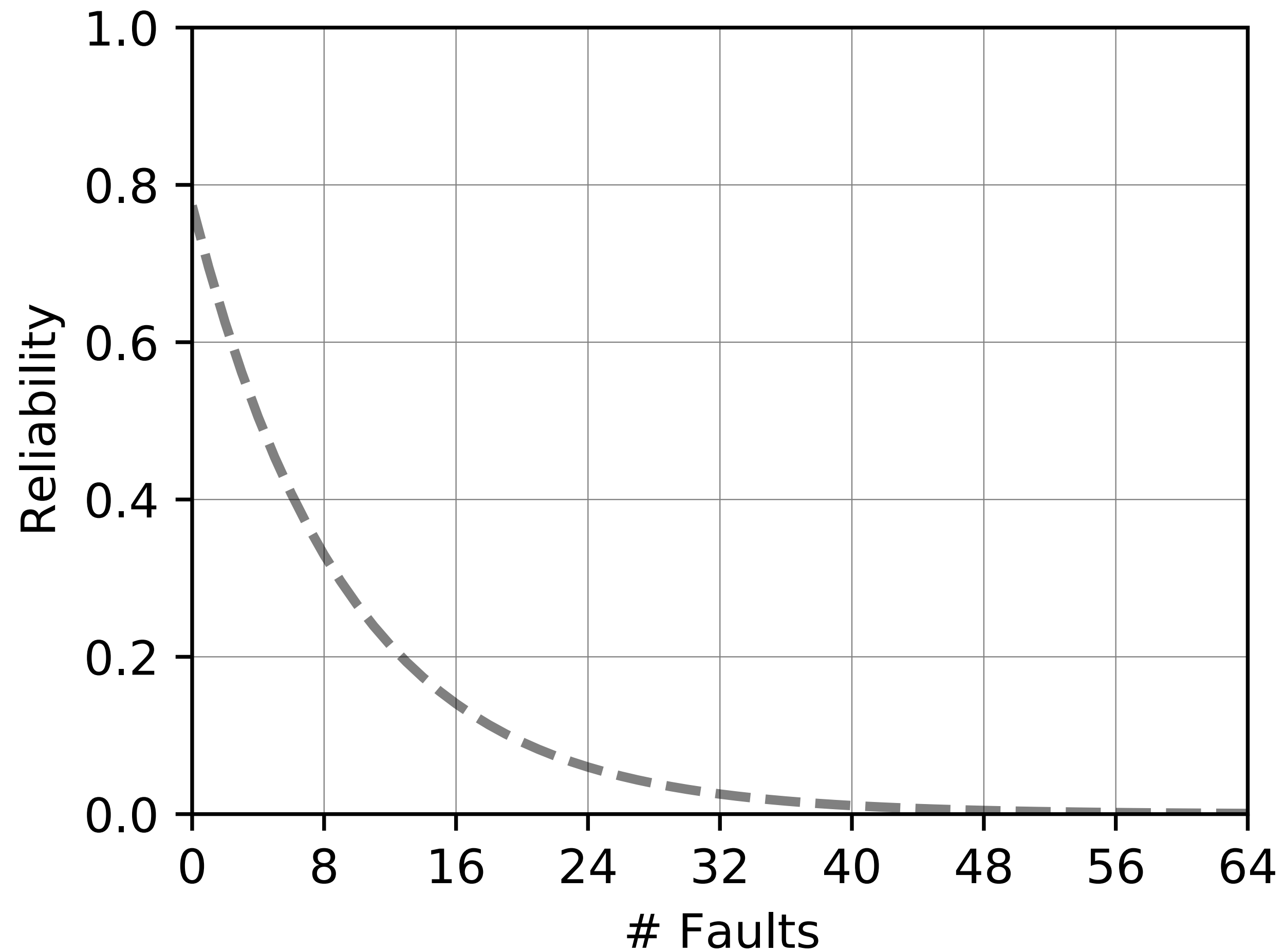
Using combinatorial analysis

Evaluate the composite NVX reliability for different configurations

- ▶ Sequential vs. Concurrent execution – whether permanent faults cause correlated failures in the identity subcomponents
- ▶ Quorum size of  $\min(2, N)$  vs. a majority quorum size of  $\lfloor N/2 + 1 \rfloor$

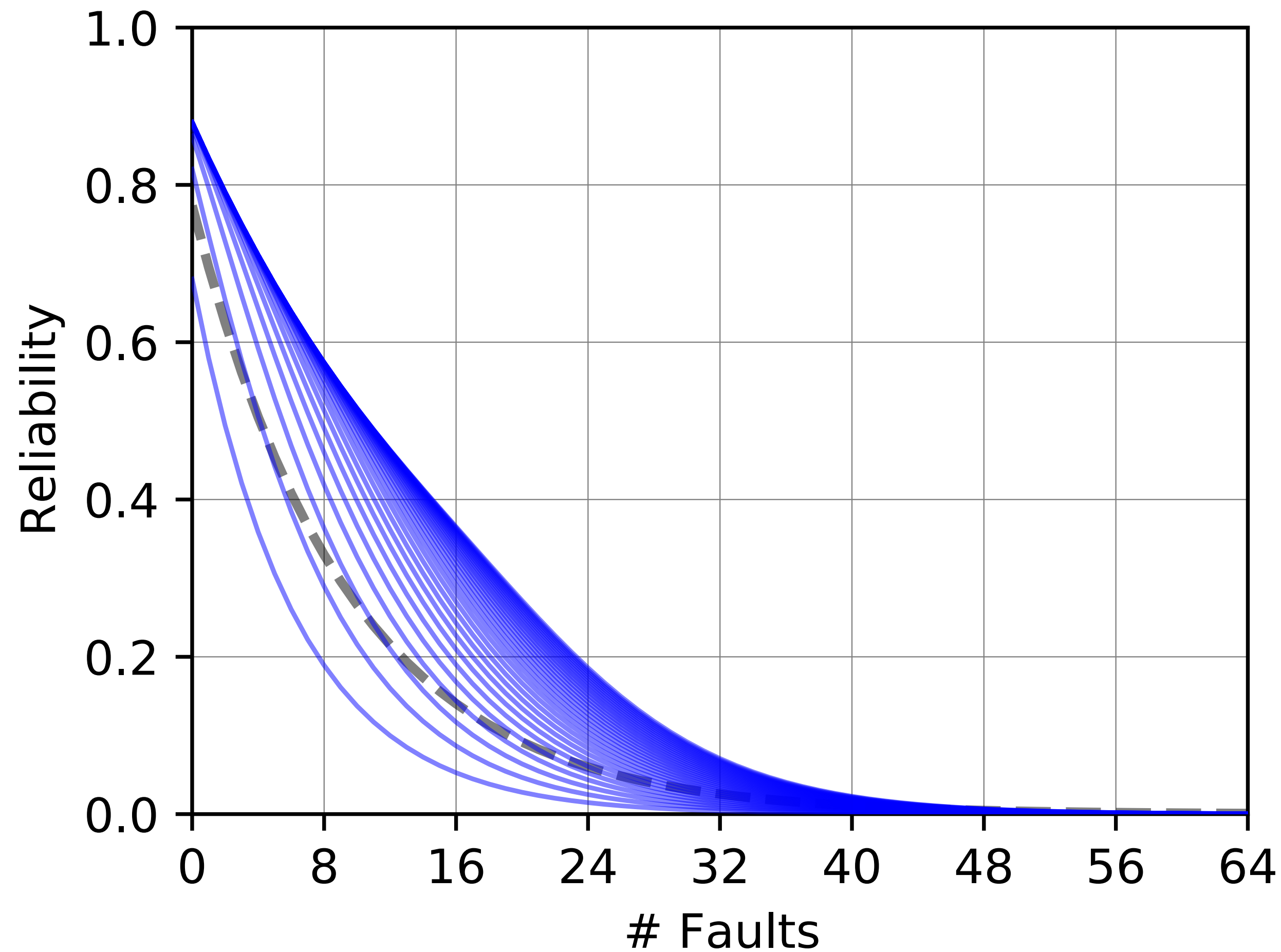


## RESULTS USING TIMIT (quorum size of $\min(2, N)$ , diversity percentage 50%)



---  $R(x) = 77.4 e^{-0.11x}$

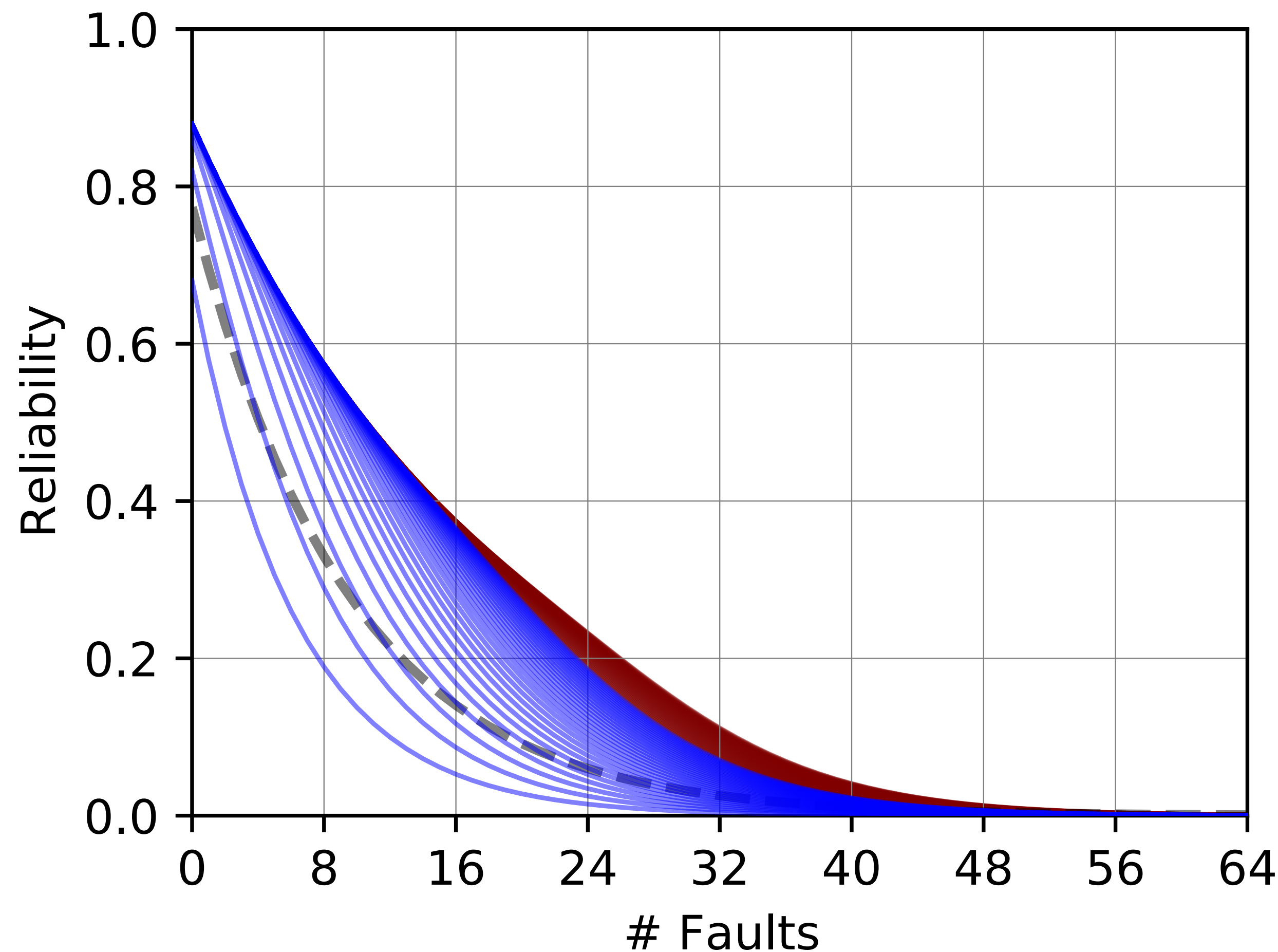
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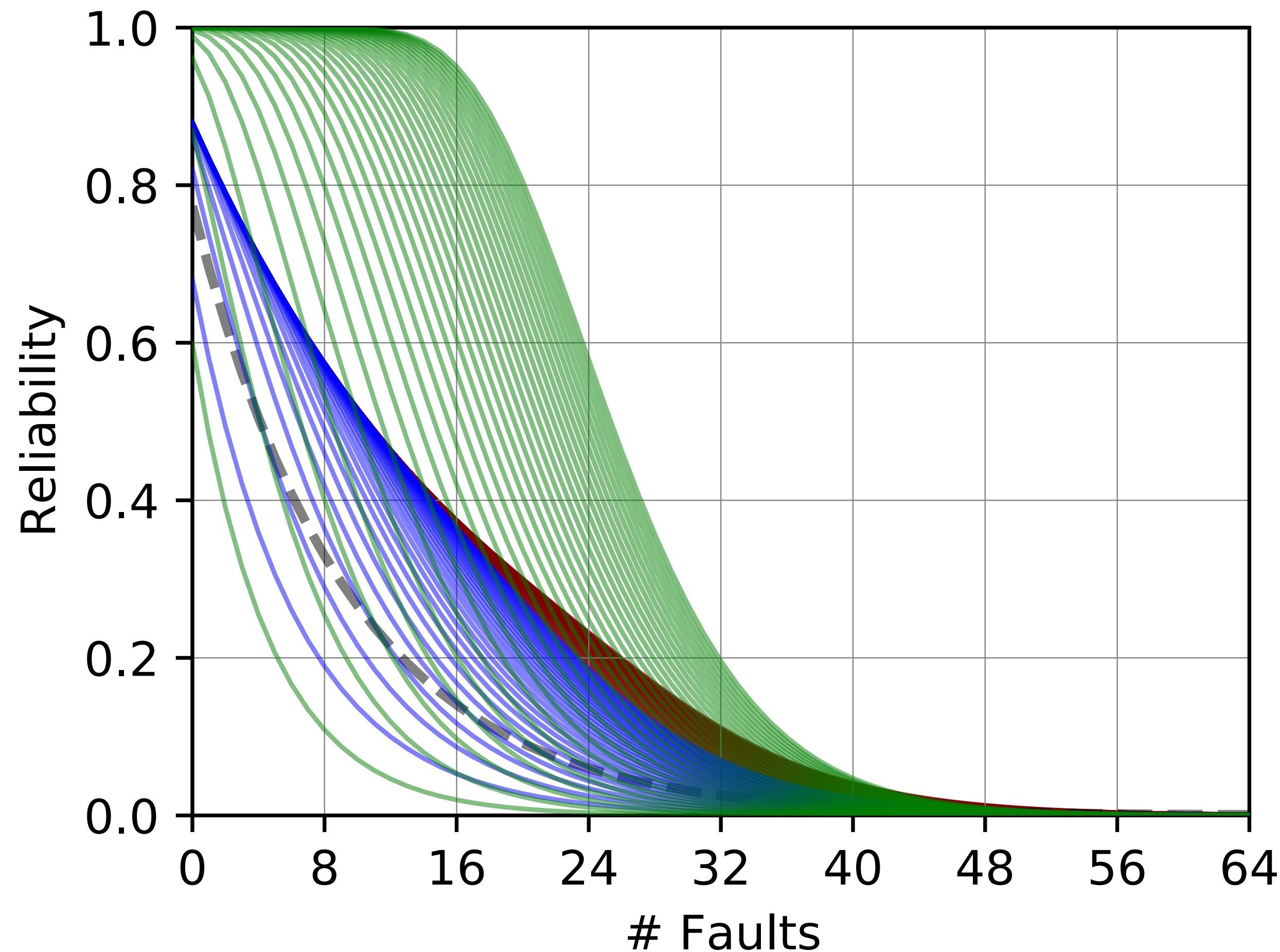
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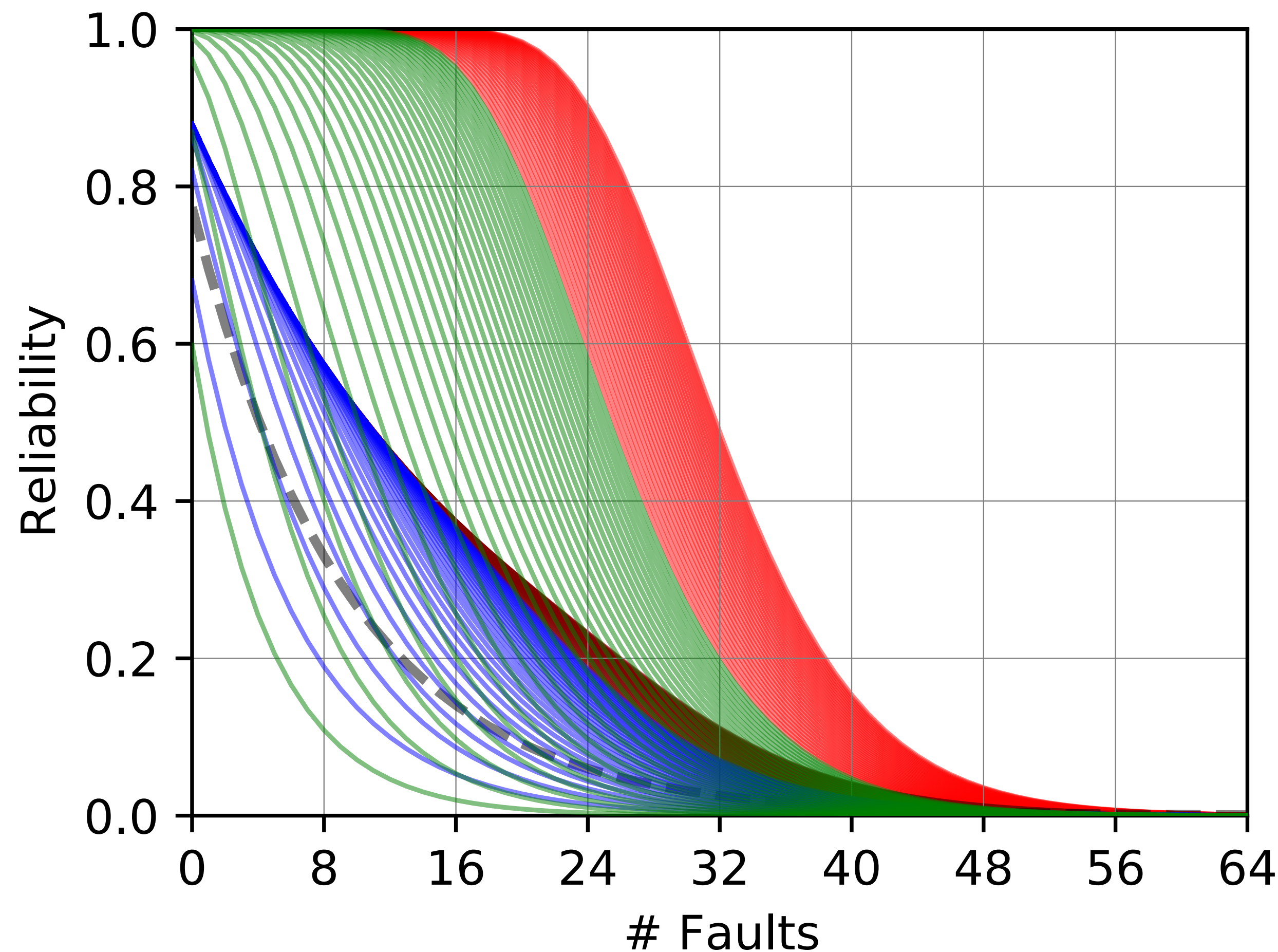
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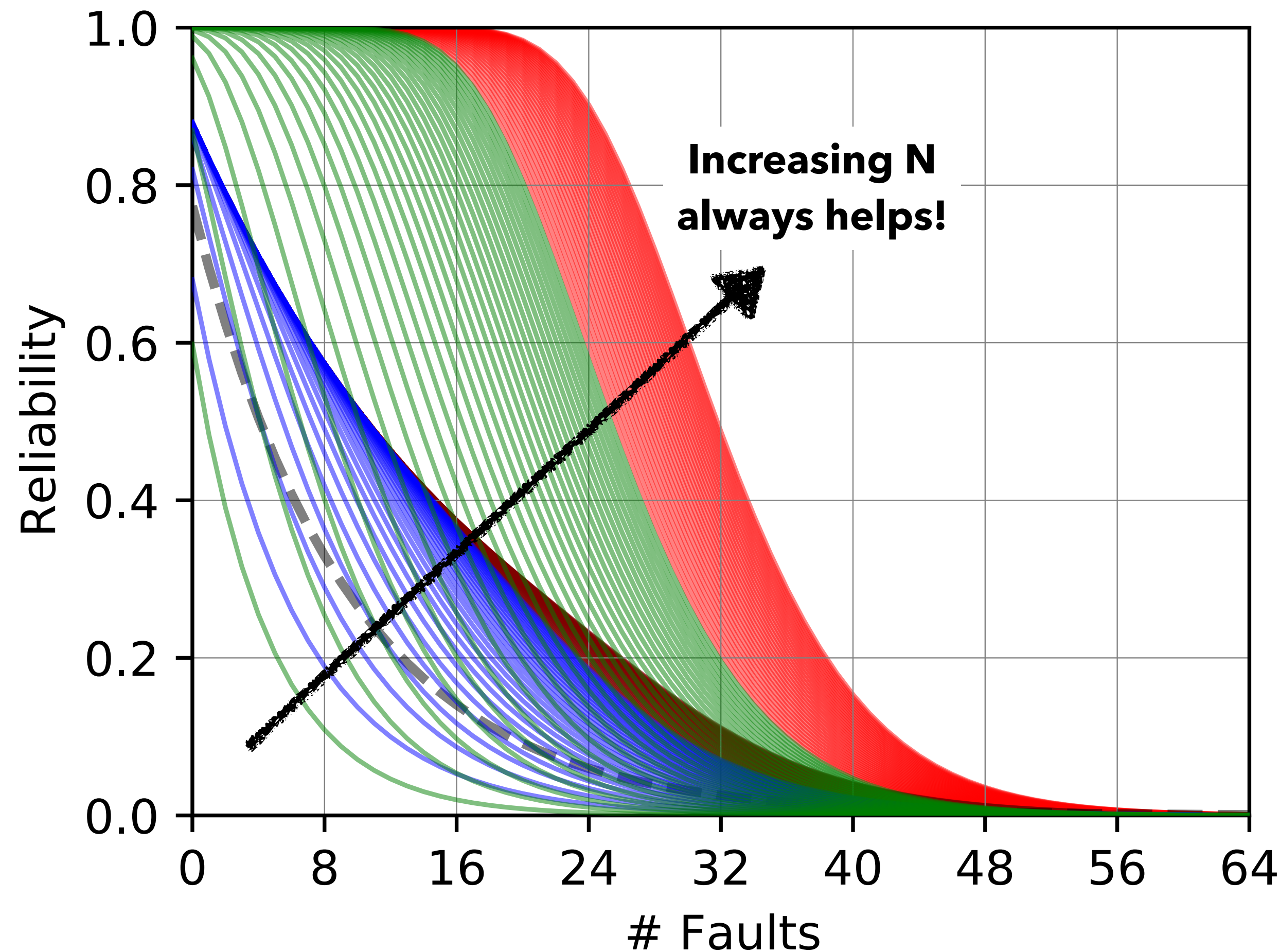
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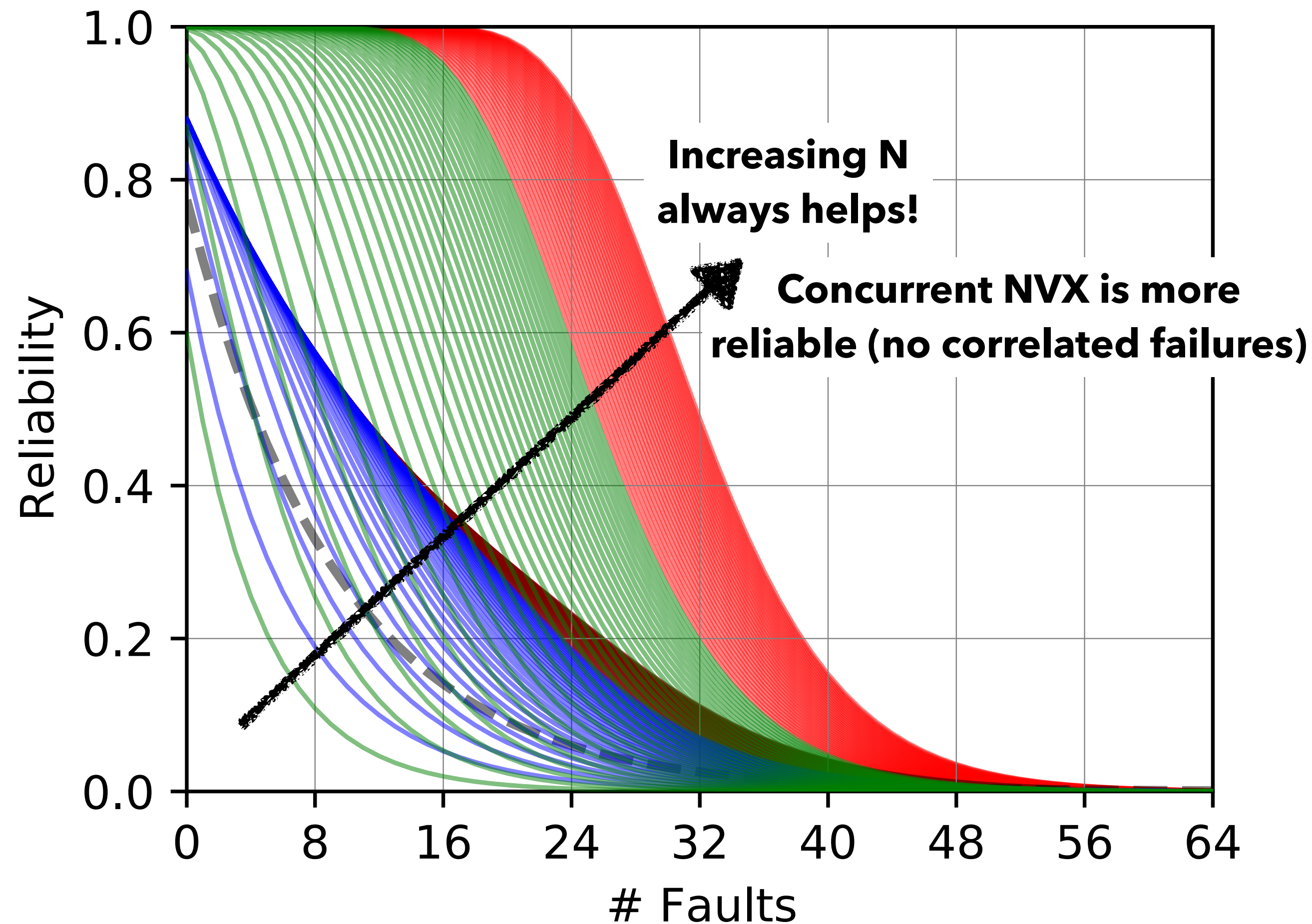
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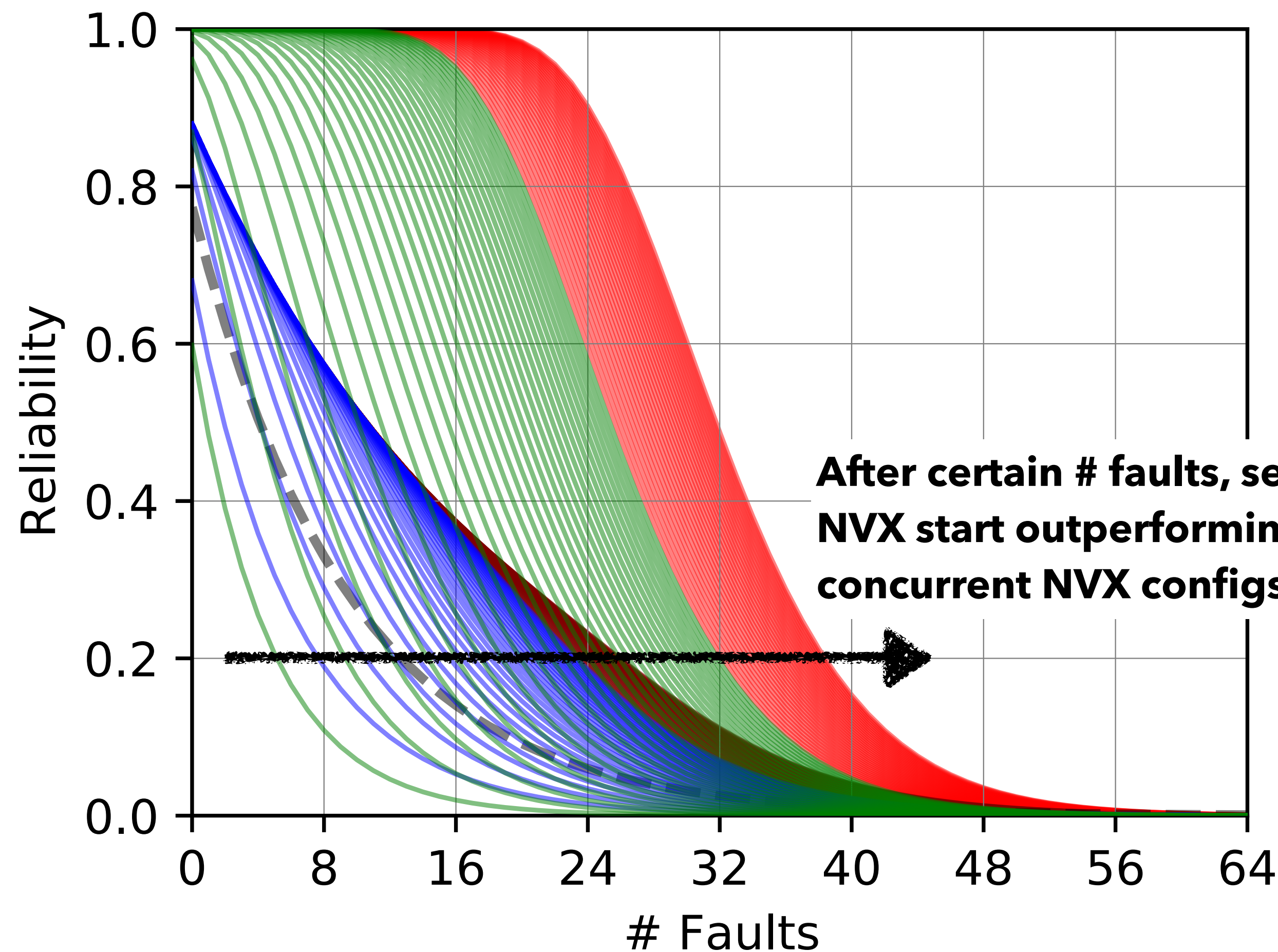
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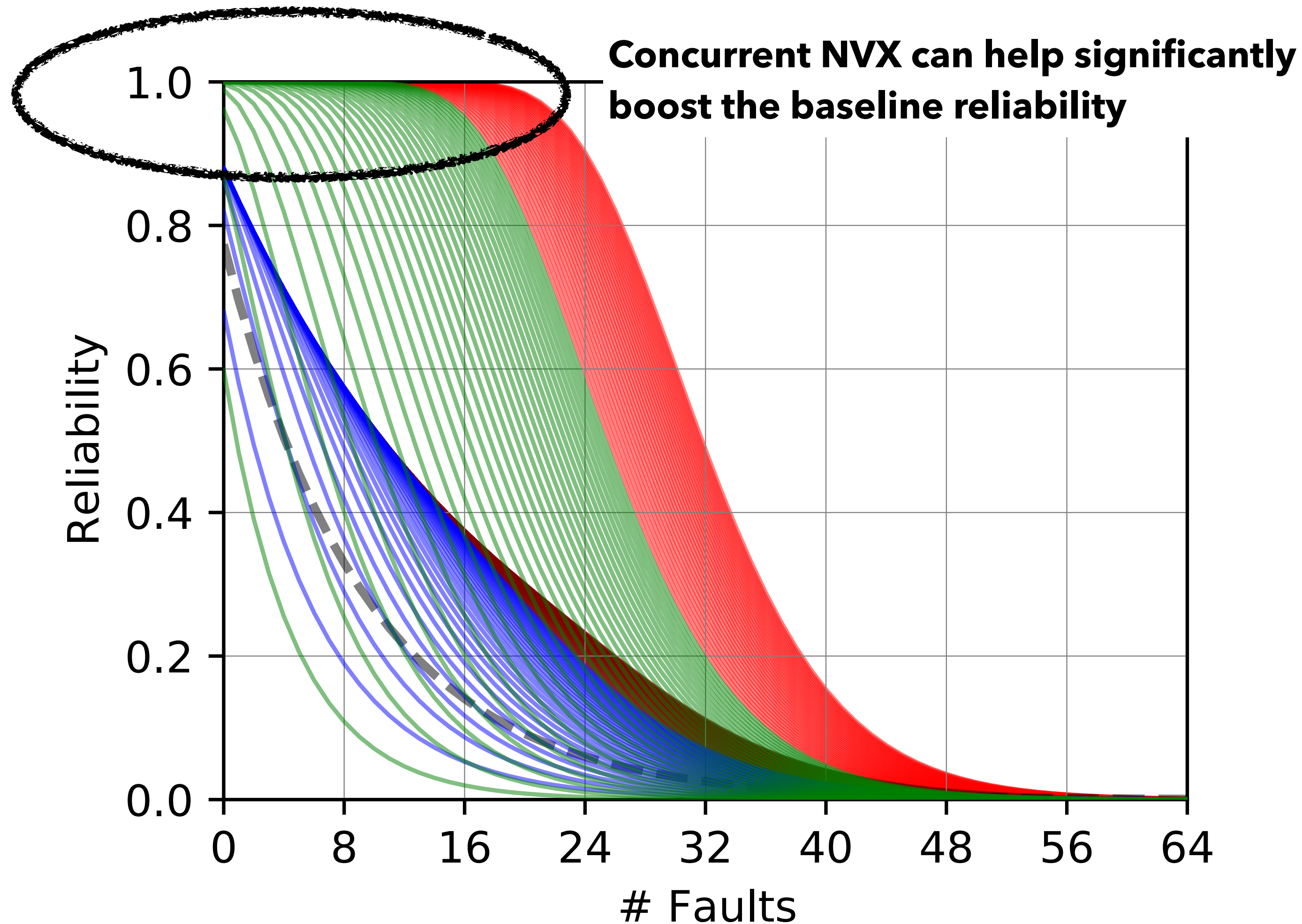
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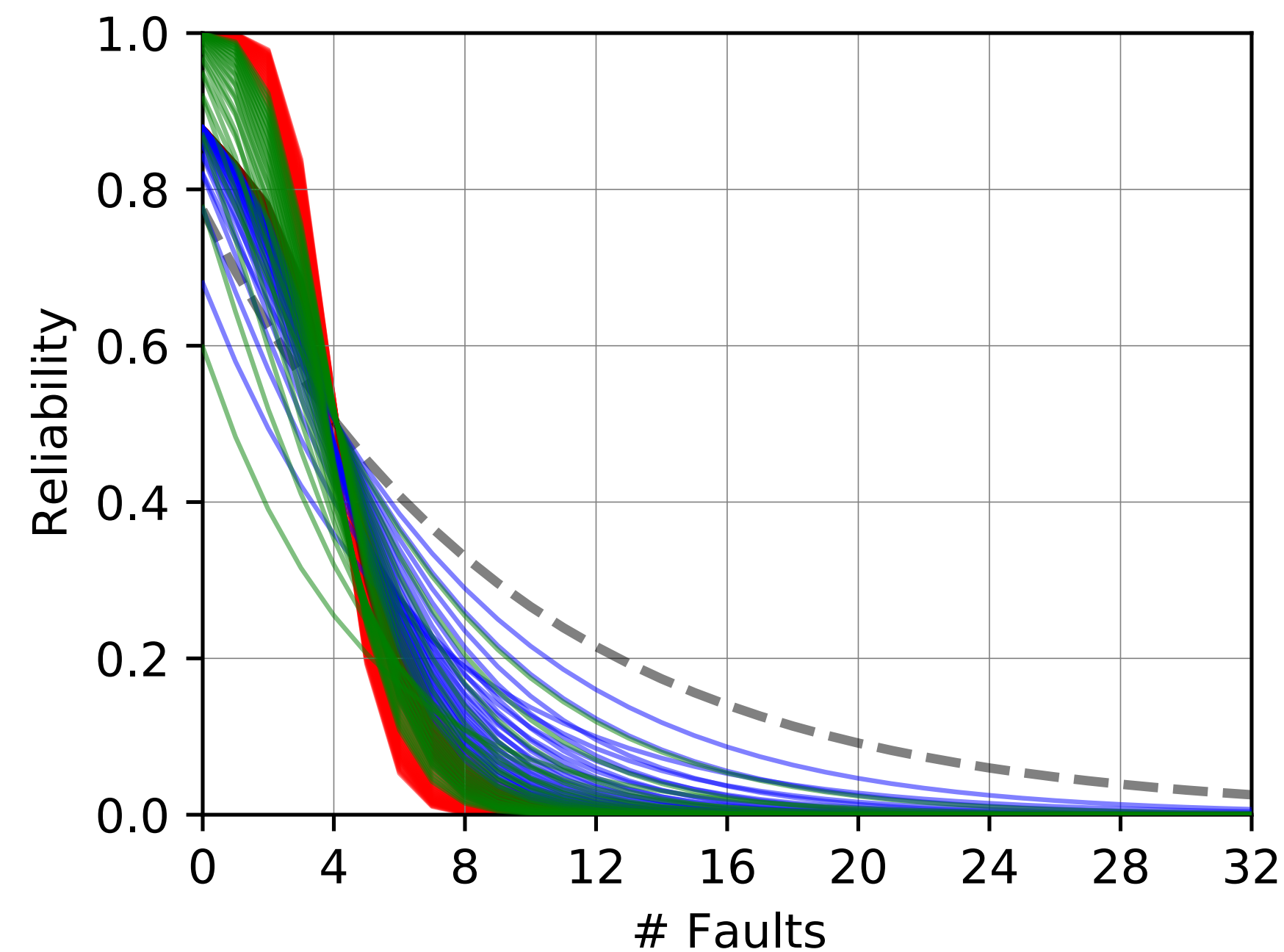
(different quorum sizes and diversity percentages)

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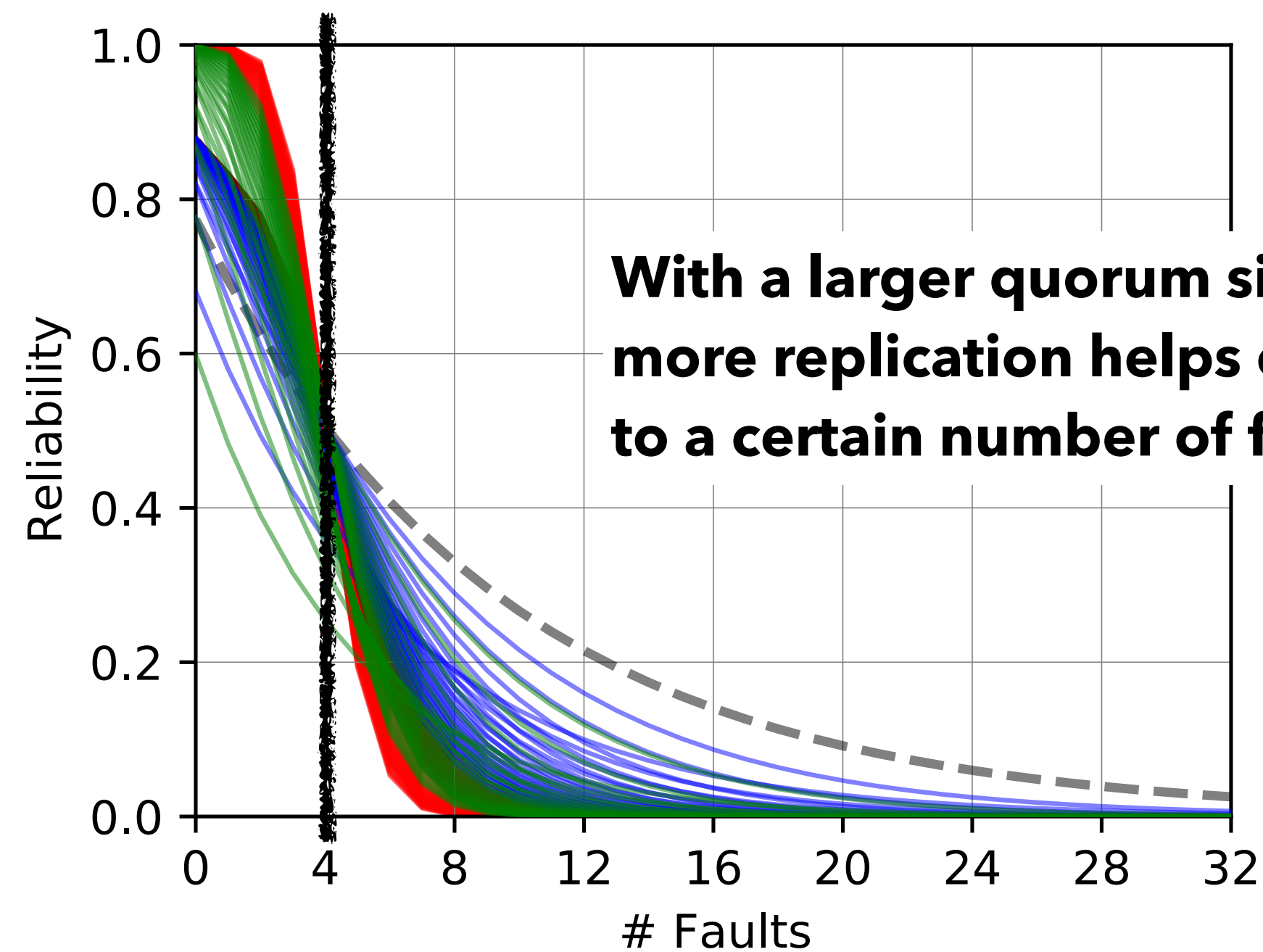


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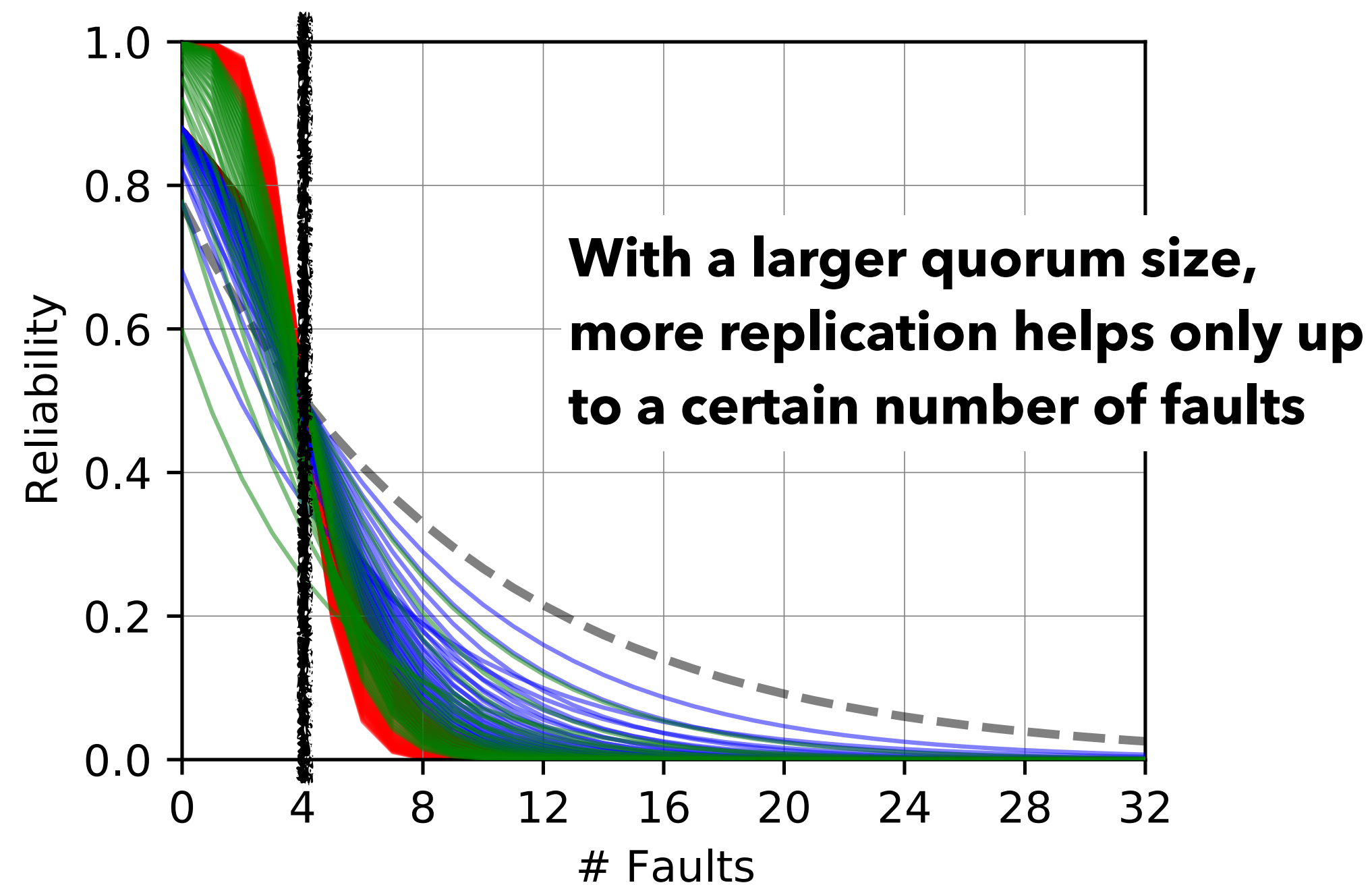


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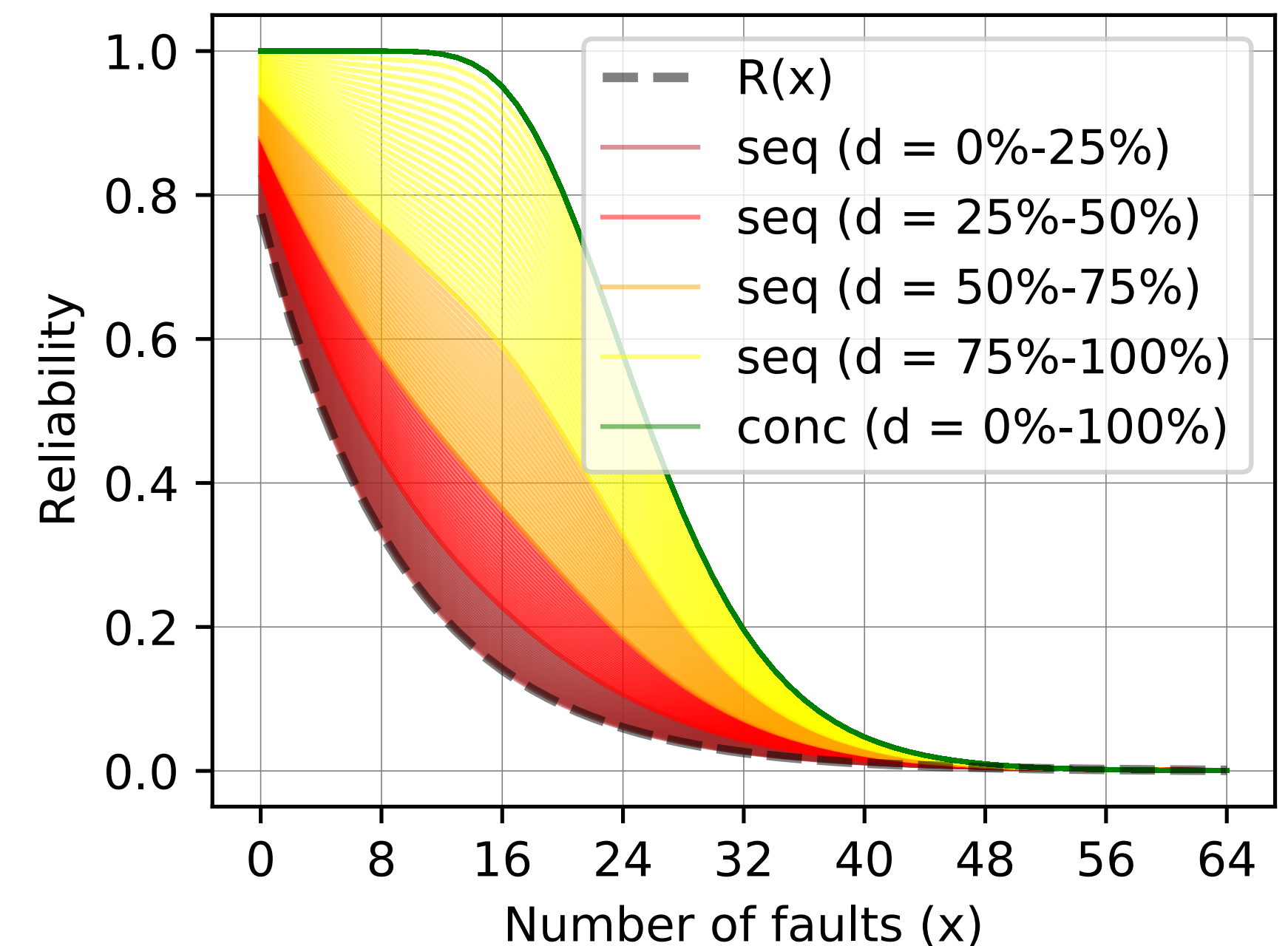
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## 2. Varying the diversity percentage (N = 32)

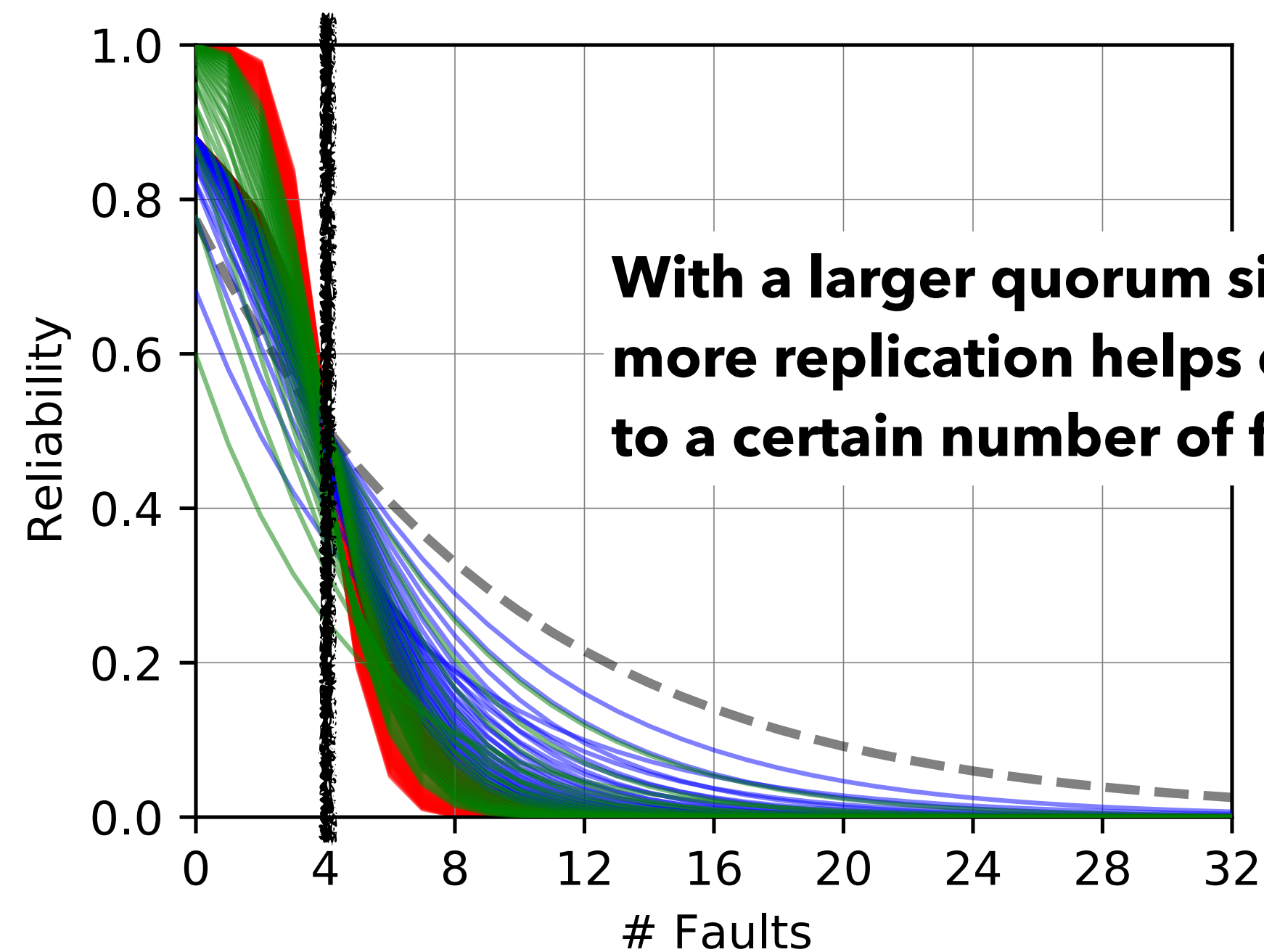


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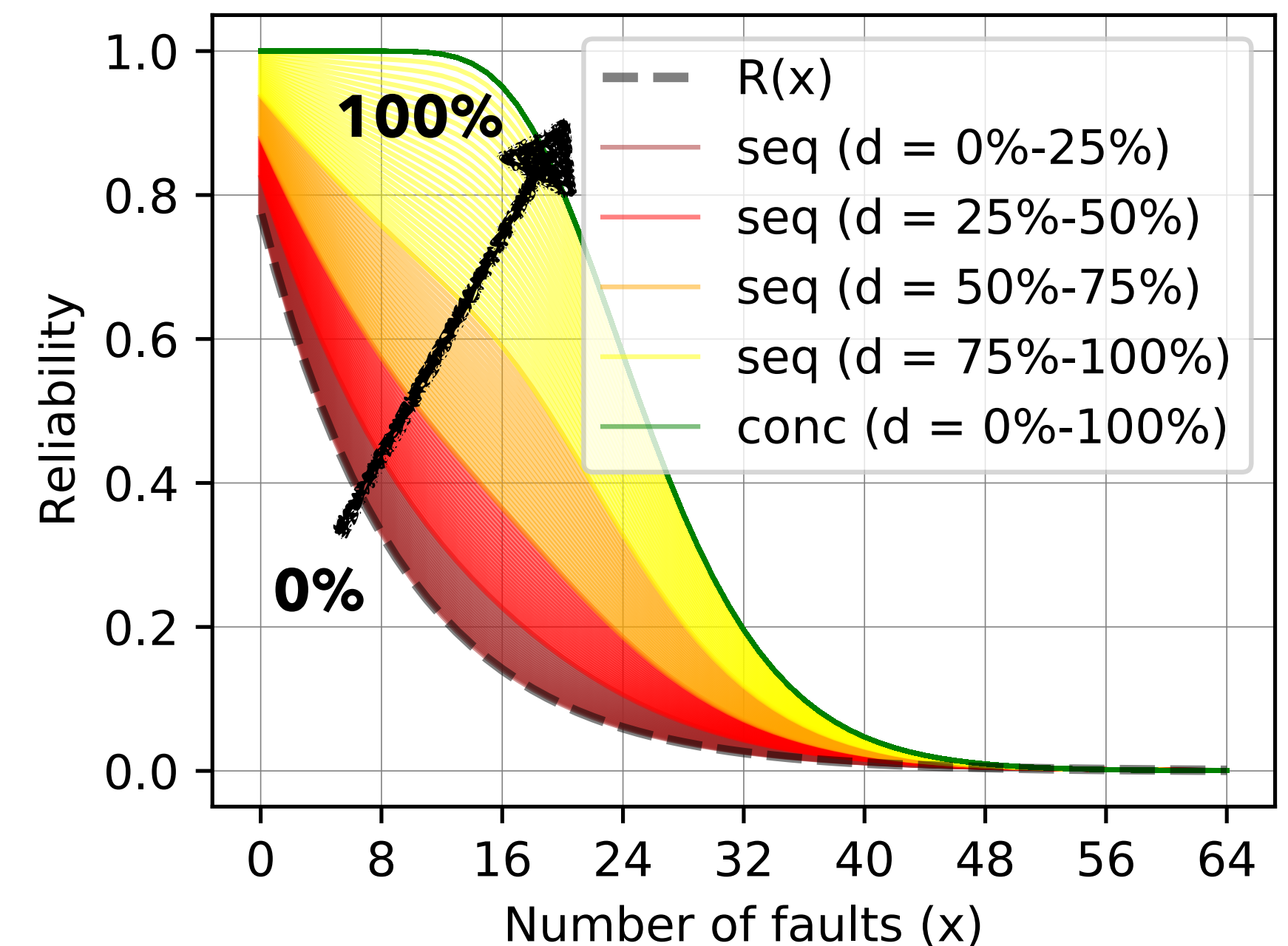
(~~quorum size of  $\min(2, N)$ , diversity percentage 50%~~)

## 1. Quorum size of $\lfloor N/2 + 1 \rfloor$ (simple majority)



By introducing sufficient diversity, even sequential NVX can offer higher reliability

## 2. Varying the diversity percentage (N = 32)





# SUMMARY

- ▶ Historically, NVP has faced criticism!
- ▶ NVP for ML components is different, needs to be revisited
  - ▶ There is potential to significantly improve ML component reliability
  - ▶ Our mathematical modeling demonstrated some of these benefits
- ▶ Future work
  - ▶ Does our logical decomposition hold in practice? Test using simulations, FI
  - ▶ Can we achieve such high replica diversity? Is the diversity quantifiable?
  - ▶ NVX design space (including voting schemes) need to be explored further





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# THANK YOU! QUESTIONS?

